

Controlling the Quantum World with Light

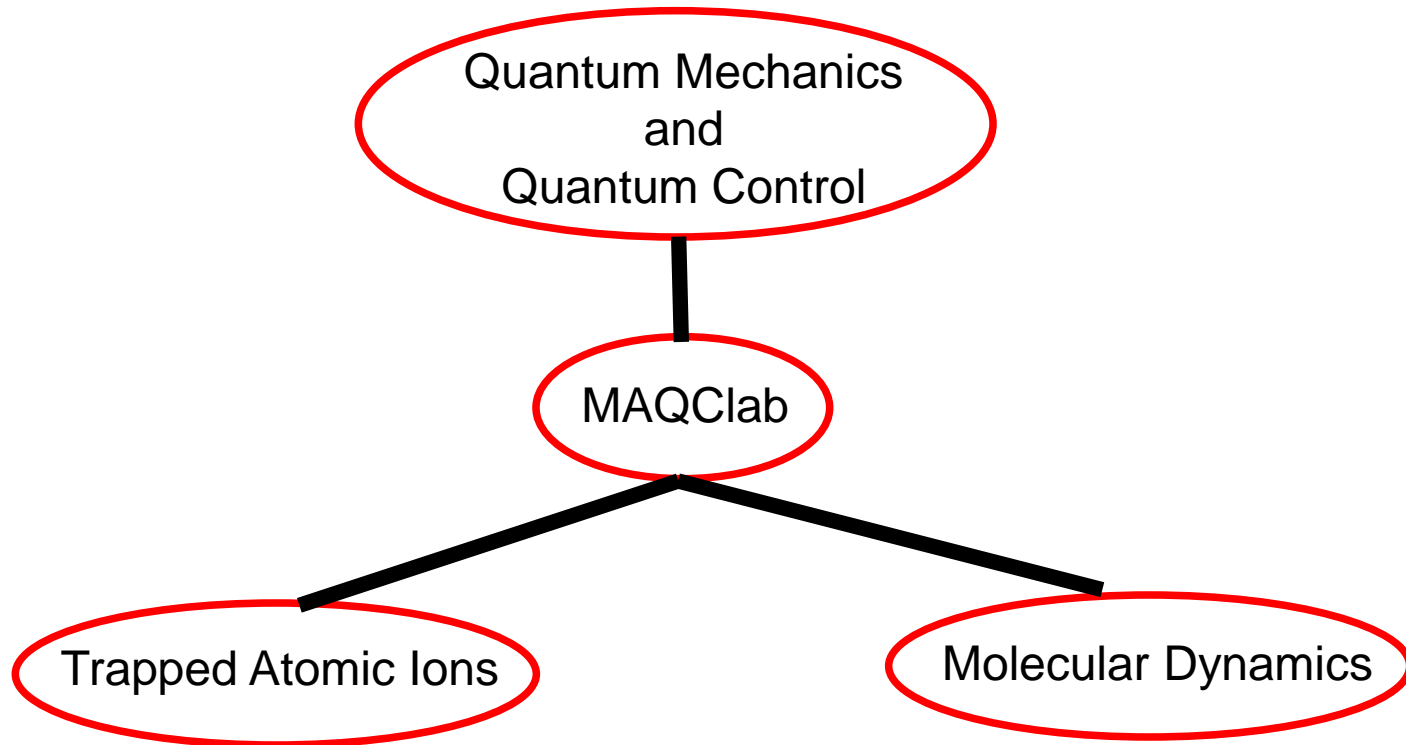
Hermann Uys, Ismail Akhalwaya, Nicolene Botha, Shaun Burd,
Attie Hendriks, Ramathabathe Madigoe, Saturn Ombinda, Andre Smit,
Hendrik Kloppers, Johan Steyn, Lourens Botha

**Laboratory for Quantum Control of Atoms and Molecules
(MAQClab)**
National Laser Centre

Collaborators

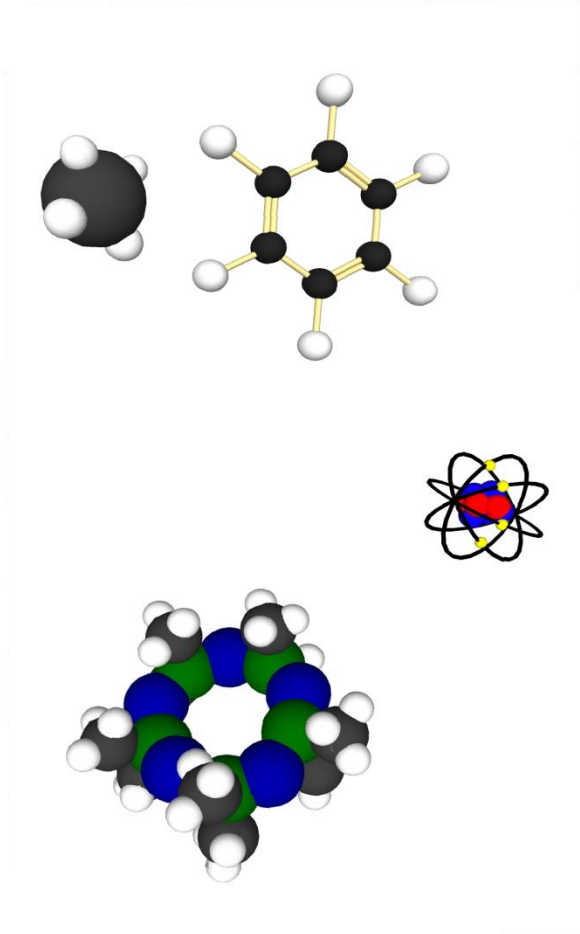


Overview

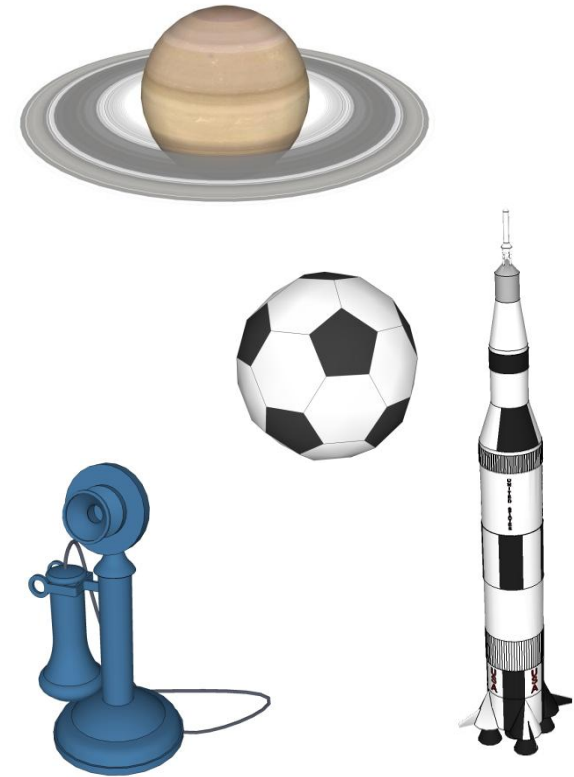


The Quantum versus the Classical World

Quantum world



Classical world



CSIR

our future through science



The Quantum versus the Classical World

Quantum world

- Wave-particle duality
- Superpositions
- Heisenberg uncertainty
- Interference
- Entanglement
- Measurement outcomes statistical
- Strong measurement back-action
- Tunneling

$$\frac{\partial \psi(x, t)}{\partial t} = \hat{H} \psi(x, t)$$

Schrödinger Equation

Classical world

- Waves or particles
- Deterministic
- Trajectories
- Certainty in measurement
- No measurement back-action

$$\frac{d}{dt} \left(\frac{\partial L}{\partial \dot{q}} \right) - \frac{\partial L}{\partial q} = 0$$

Euler-Lagrange Equation

Many Quantum Technologies

- ◆ Superconducting qubits
- ◆ Semiconductor charge qubits
- ◆ Quantum dots
- ◆ Photons
- ◆ Microfabricated cantilevers
- ◆ Atom interferometers
- ◆ Ultra-cold gases
- ◆ Single trapped ions
- ◆ Molecules

MAQClab mission

Exploit phenomena which are explicitly quantum mechanical
in pursuit new applications

Quantum Physics Applications

Magnetic Resonance Imaging



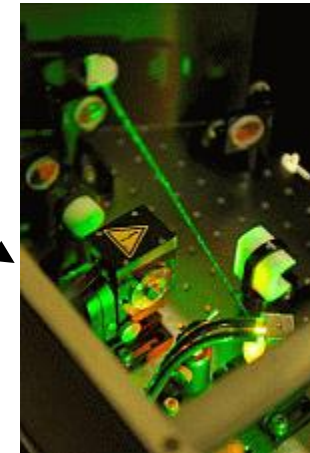
(Superposition)

Atomic Clocks



(Superposition)

Quantum Physics



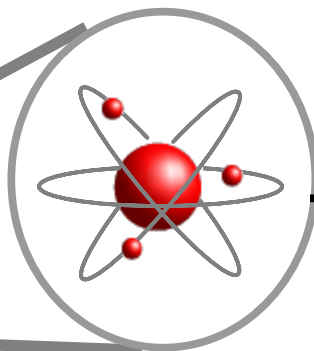
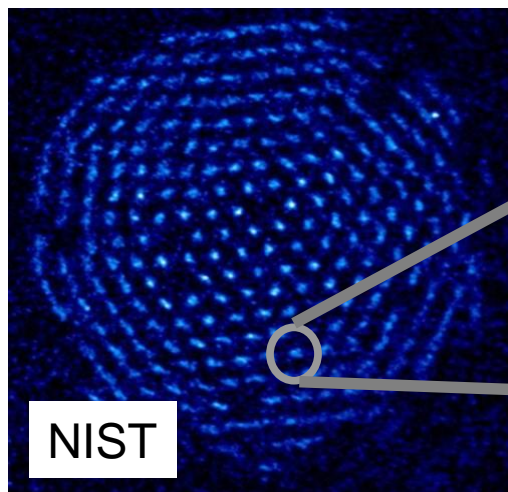
Lasers

(Bose stimulation)

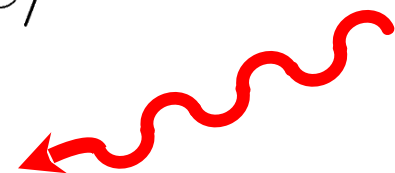
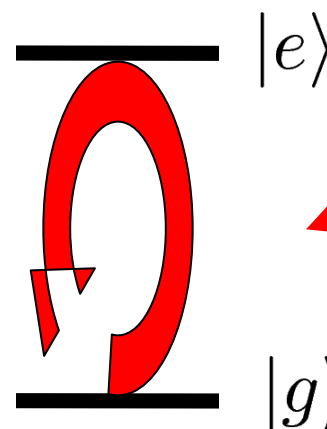


Tunnel Magnetoresistance
(Tunneling)

Quantum Control – a simple example

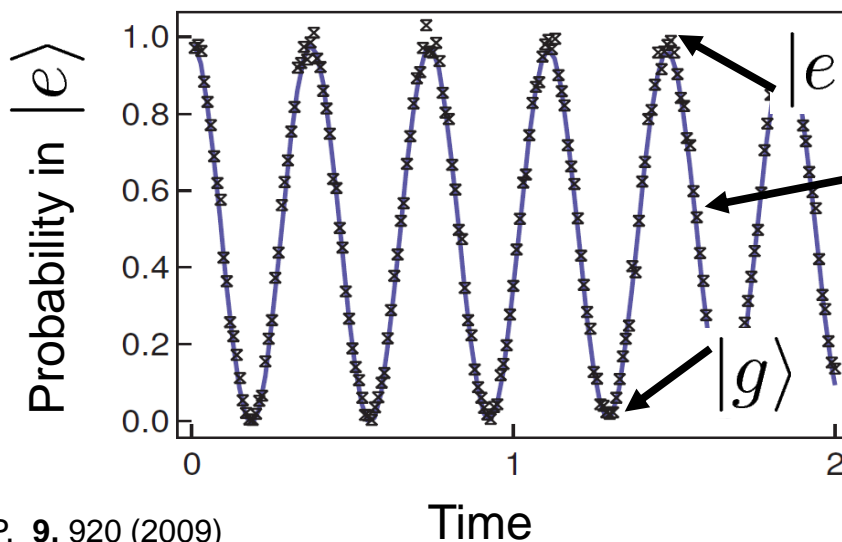


Atomic Energy Levels



Microwaves

Rabi Oscillations

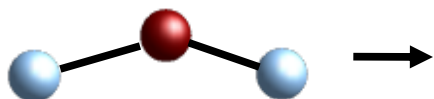


$$|\psi\rangle = \frac{1}{\sqrt{2}}(|e\rangle + |g\rangle)$$

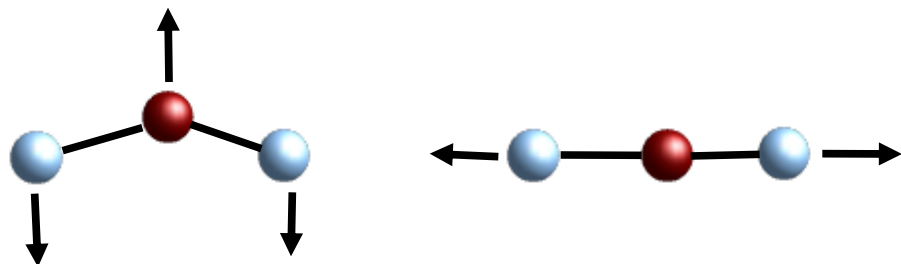


Molecular Dynamics

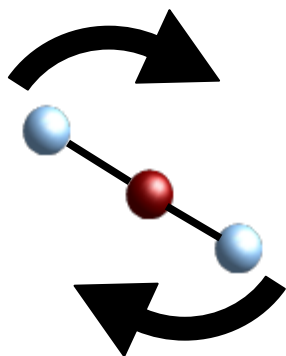
Translation



Vibration



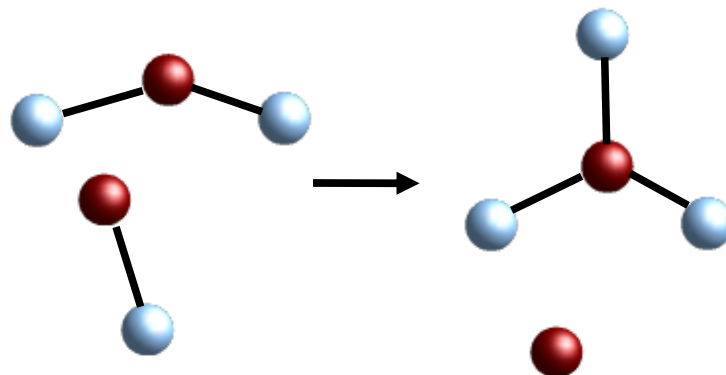
Rotation



Dissociation



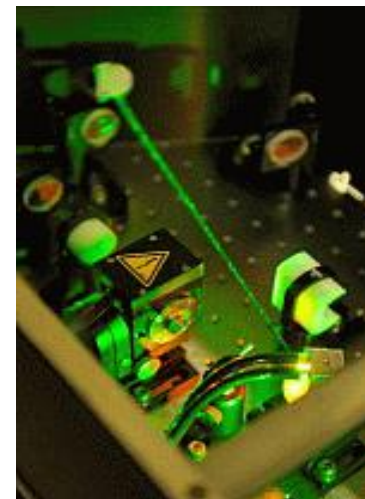
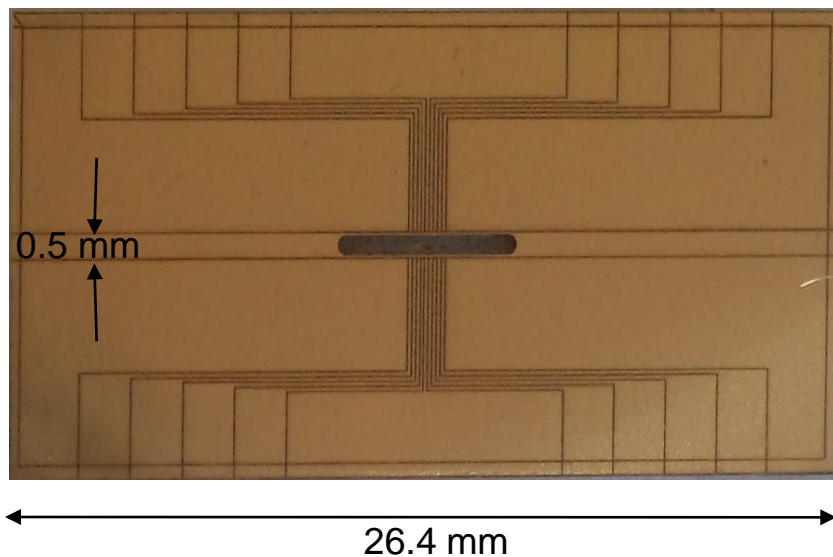
Bimolecular Reaction



MAQClab Capabilities

Trapped Atomic Ions

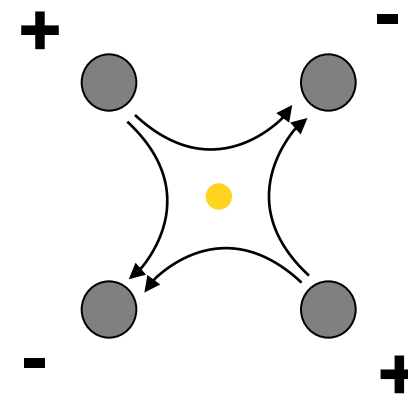
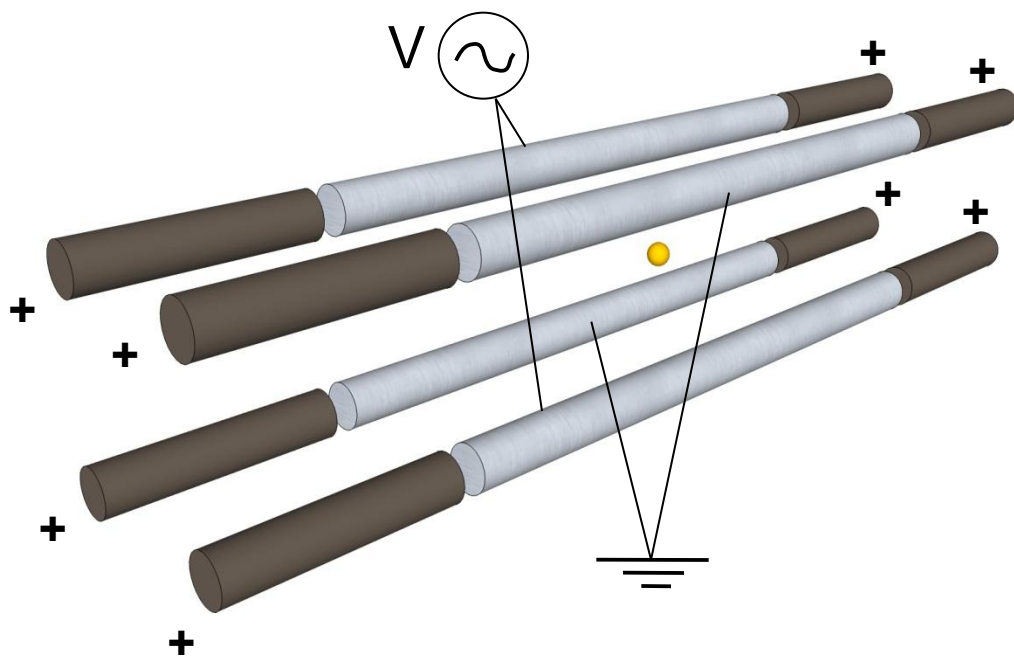
- Narrowband continuous wave lasers
- Programmable microwave sources



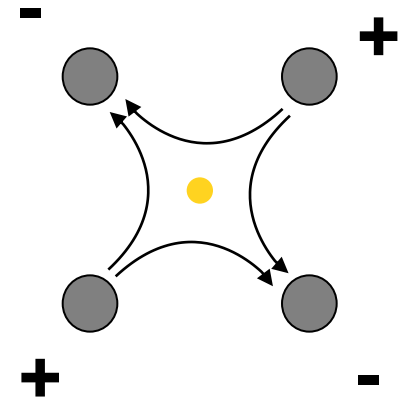
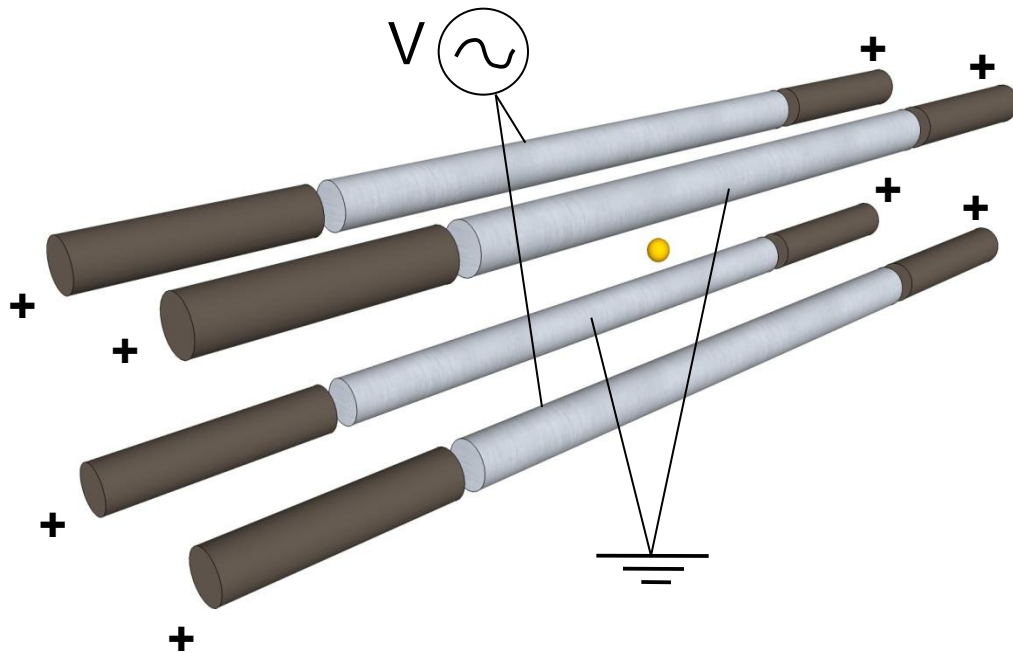
Molecules

- Femtosecond pulsed lasers
- Pulse shaping instrumentation
- Pump-probe techniques

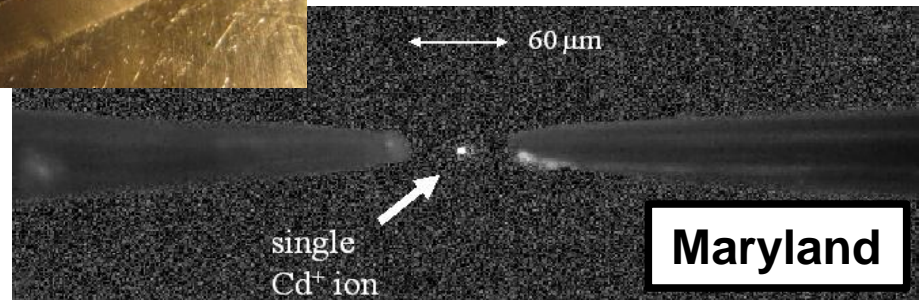
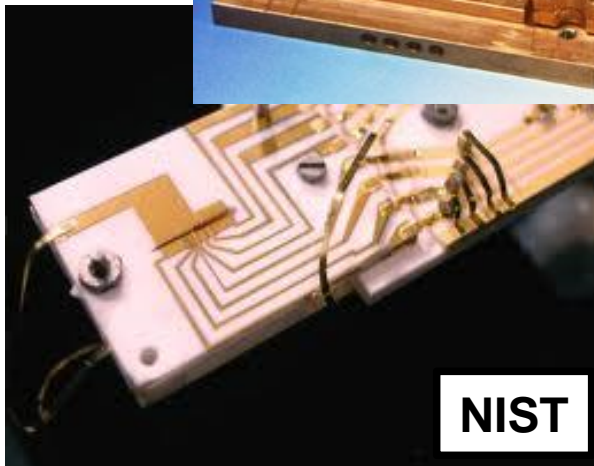
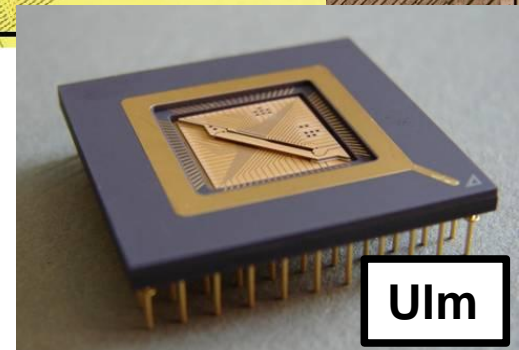
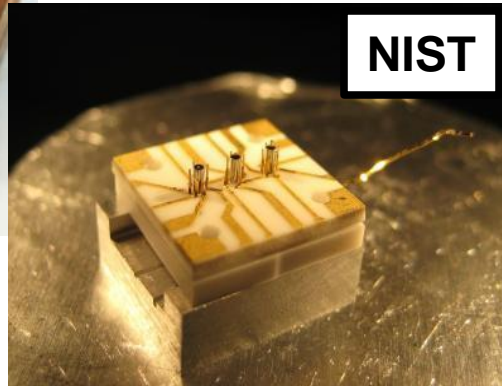
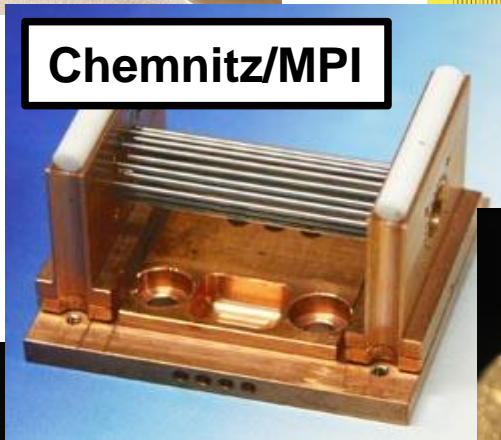
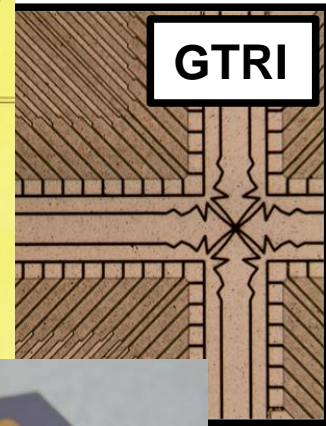
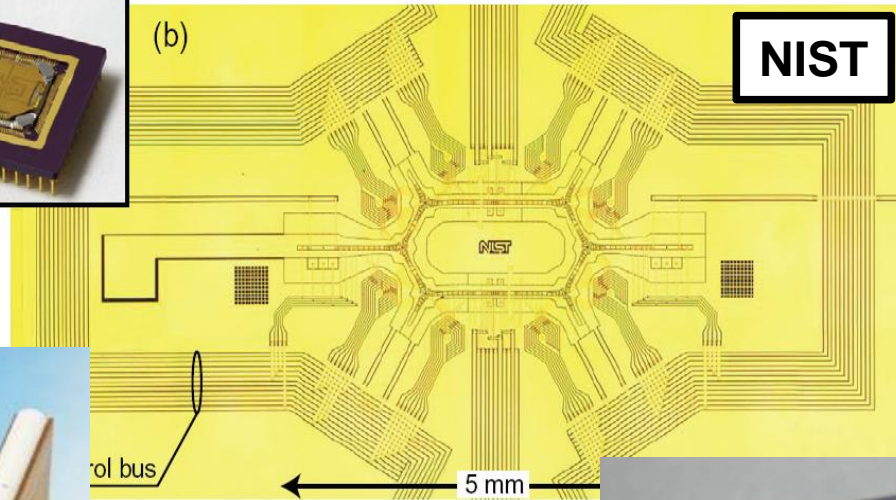
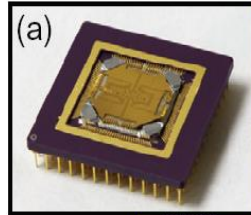
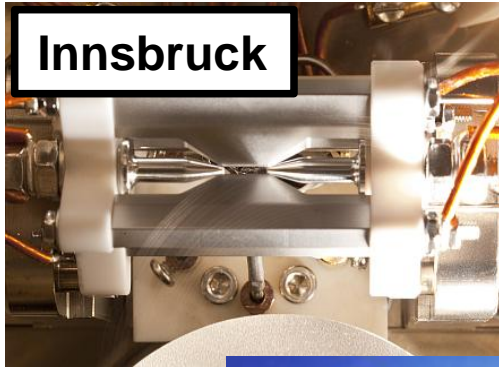
Trapping basics – Linear Paul Traps



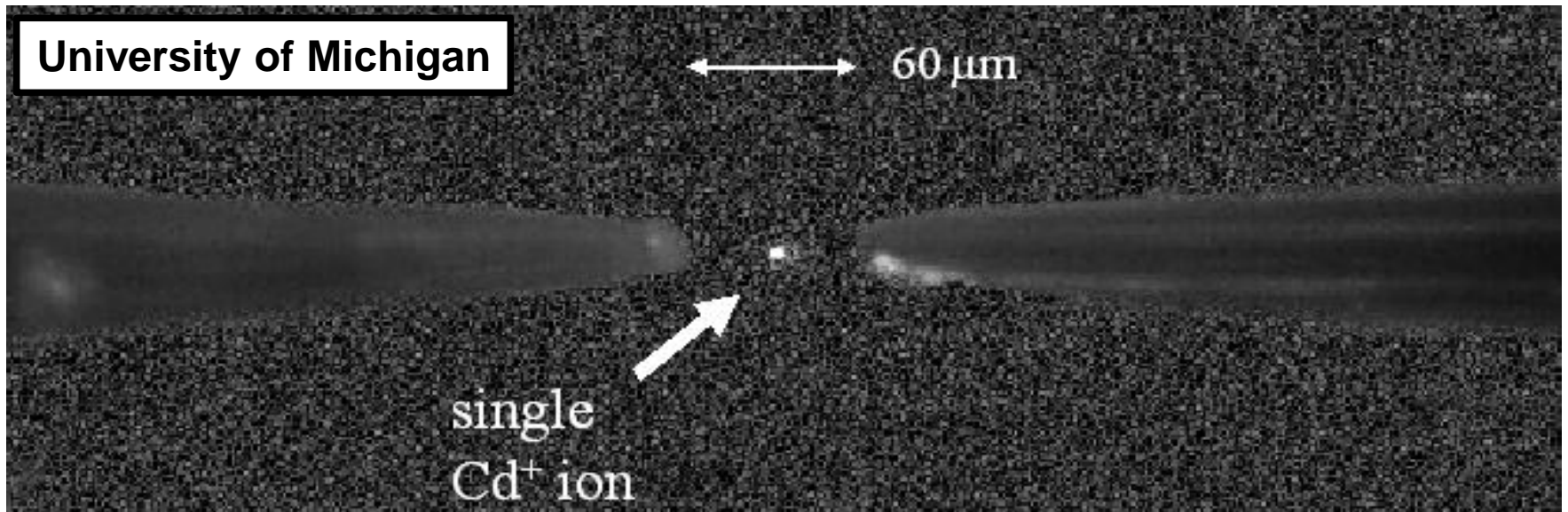
Trapping basics – Linear Paul Traps



Traps

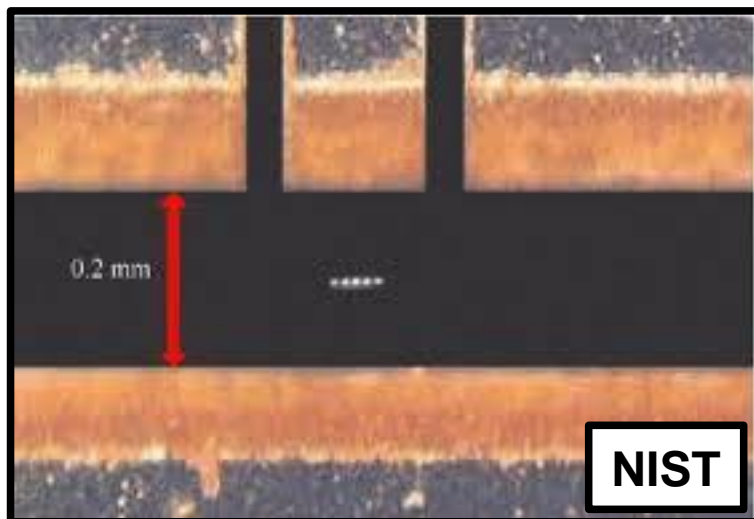
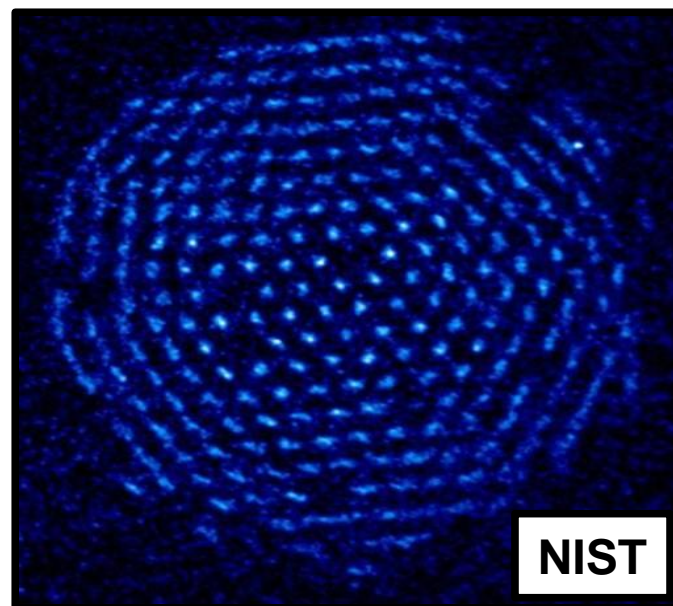
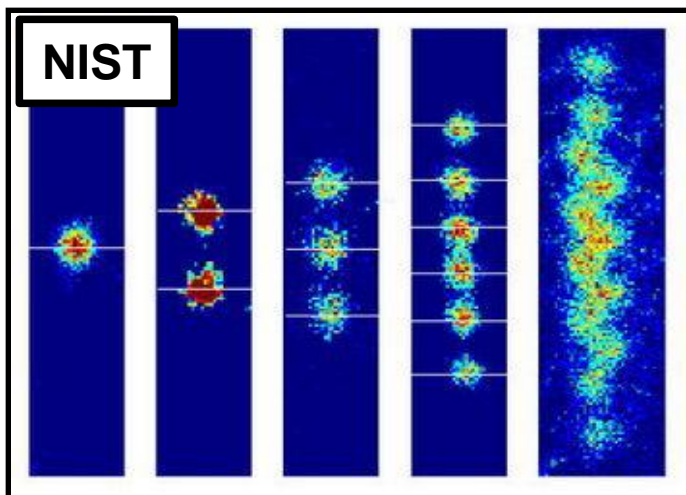


Single Atoms!



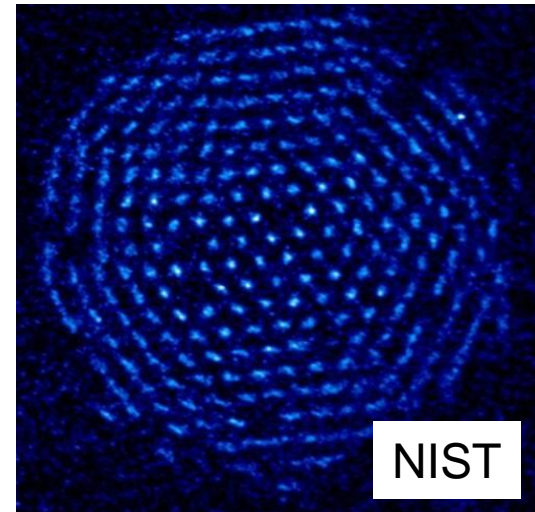
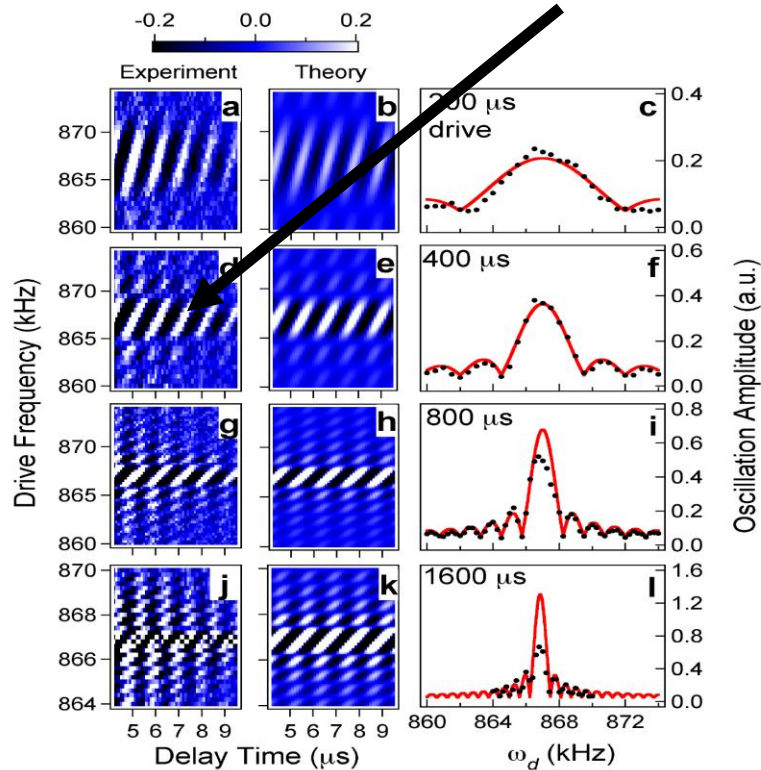
First Neuhauser *et al.*, Laser Spectroscopy of a Single Ion, J. Opt. Soc. Am. **70**, 660 (1980)

Single Atoms!



Ultra-sensitive precision measurement - Force

Oscillations in ion fluorescence due to tiny force



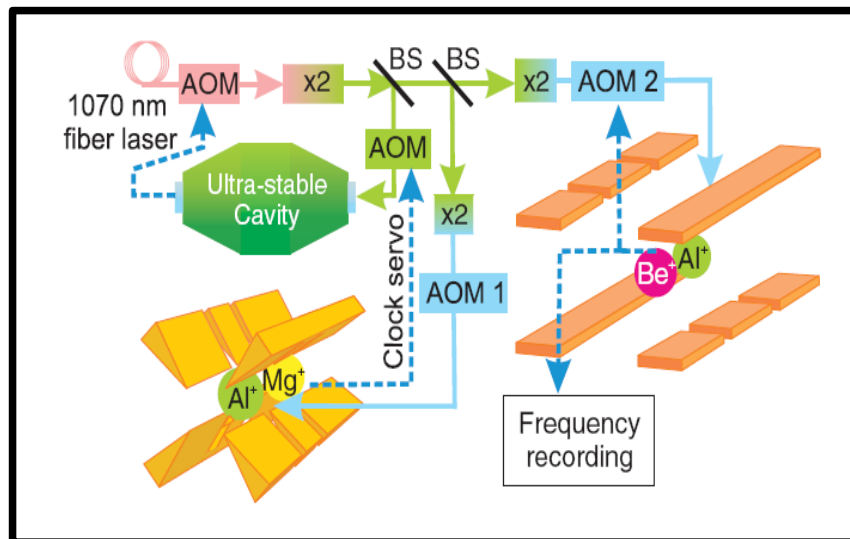
Biercuk *et al.*, Nature Nanotech **5**,646 (2010)

$F_d = 174 \text{ yN}$ (Remember: weight due to 1kg on earth = 10 Newton)

1 yoctonewton = 1×10^{-24} Newton = 0.00000000000000000000000001 Newton

Ultra-sensitive precision measurement - Time

Quantum Logic Spectroscopy Clock



- Won't lose a second in 4 billion years
- Age of the universe: 13.7 billion years

PRL 104, 070802 (2010)

PHYSICAL REVIEW LETTERS

week ending
19 FEBRUARY 2010

Frequency Comparison of Two High-Accuracy Al⁺ Optical Clocks

C. W. Chou,^{*} D. B. Hume, J. C. J. Koelemeij,[†] D. J. Wineland,
Time and Frequency Division, National Institute of Standards and Technology,
(Received 23 November 2009; published 17 February 2010)

fractional frequency difference of -1.8×10^{-17}

We have constructed an optical clock with a fractional frequency inaccuracy of 8.6×10^{-18} , based on quantum logic spectroscopy of an Al⁺ ion. A simultaneously trapped Mg⁺ ion serves to sympathetically laser cool the Al⁺ ion and detect its quantum state. The frequency of the $^1S_0 \leftrightarrow ^3P_0$ clock transition is compared to that of a previously constructed Al⁺ optical clock with a statistical measurement uncertainty of 7.0×10^{-18} . The two clocks exhibit a relative stability of $2.8 \times 10^{-15} \tau^{-1/2}$, and a fractional frequency difference of -1.8×10^{-17} , consistent with the accuracy limit of the older clock.

Quantum Simulation - Supercomputer performance



Fujitsu K computer, 10.51 PFLOPS (2011)



IBM Sequia, 16.32 PFLOPS (2012)



Tianhe-IA, 2.566 PFLOPS (2010)

- Performance measured in Floating Point Operations per Second (FLOPS)
- ~ 10's Petabytes of memory
- ~ 10 MWatt power consumption

Why quantum simulation?

- Hilbert space for N two-level systems: $D \sim 2^N$

$N=2$:

- Memory for $N=10$: $8 \cdot 2^{10} \sim 8$ KB (Floating point notation 8 bytes per number)

$N=20$: $8 \cdot 2^{20} \sim 8$ MB

$N=30$: $8 \cdot 2^{30} \sim 8$ GB

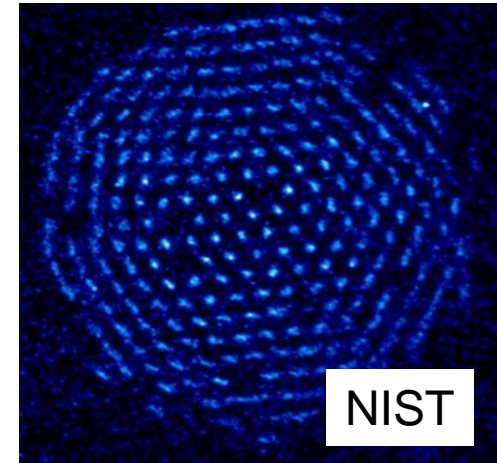
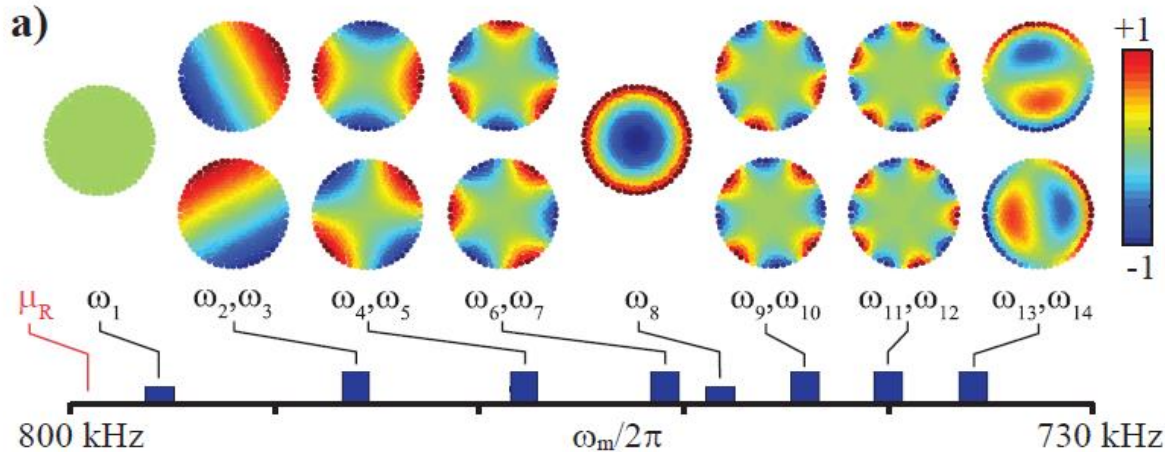
- Size of density matrix 2^{2N}

- Memory for $N=20$: $8 \cdot 2^{40} \sim 8.7$ TB

$N=25$: $8 \cdot 2^{50} \sim 9$ PB

Quantum simulation of Quantum Magnetism

Modes of Motion of an Ion Pancake



*Engineered two-dimensional Ising interactions in a trapped-ion quantum simulator with hundreds of spins. Nature **484**, 489 (2012)*

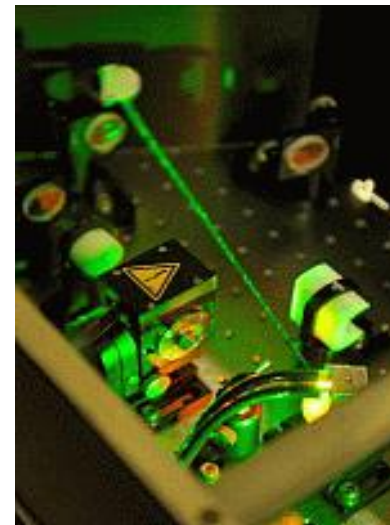
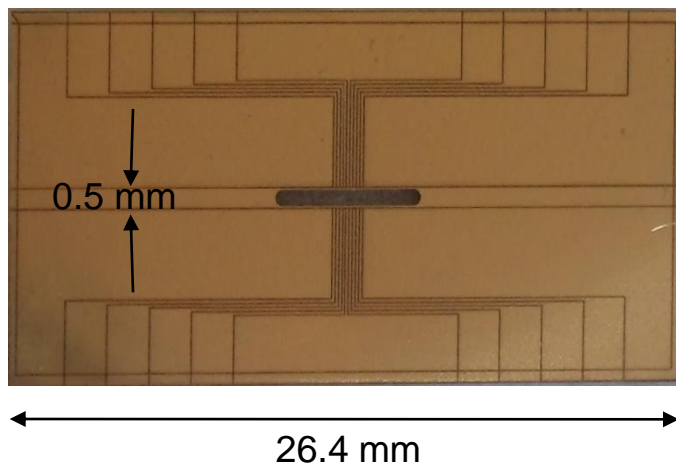
350 Particles: Computationally relevant regime

(Memory required for classical computer: $2^{700} = 5 \times 10^{10} \times \text{googol}^2$ numbers..?)

MAQClab Capabilities

Trapped Atomic Ions

- Narrowband continuous wave lasers
- Programmable microwave sources

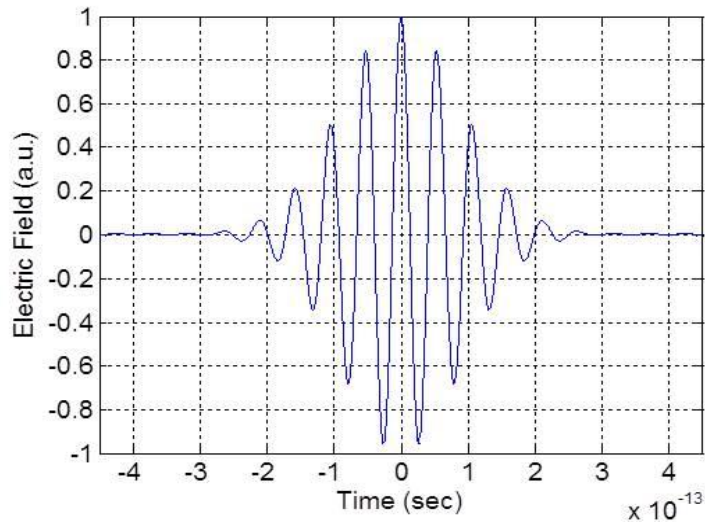


Molecules

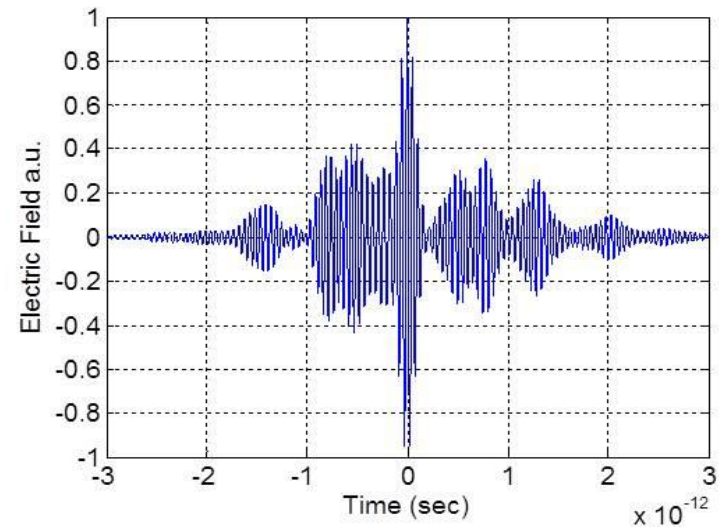
- Femtosecond pulsed lasers
- Pulse shaping instrumentation
- Pump-probe techniques

Shaped vs. Unshaped Laser Pulses

Gaussian Pulse

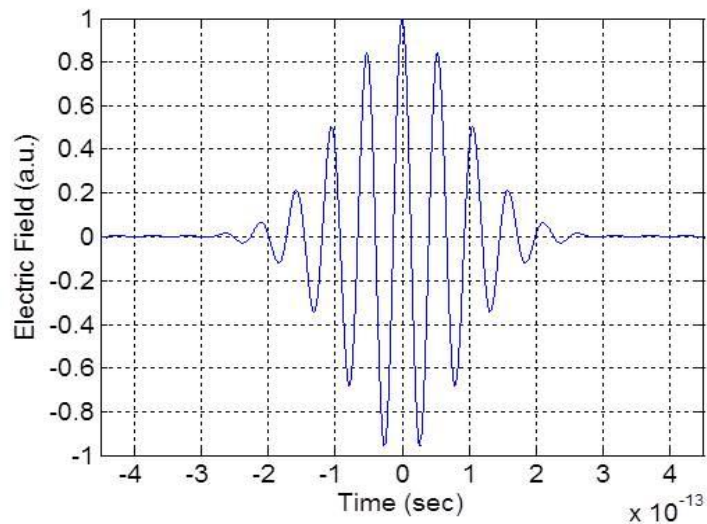


Shaped Pulse

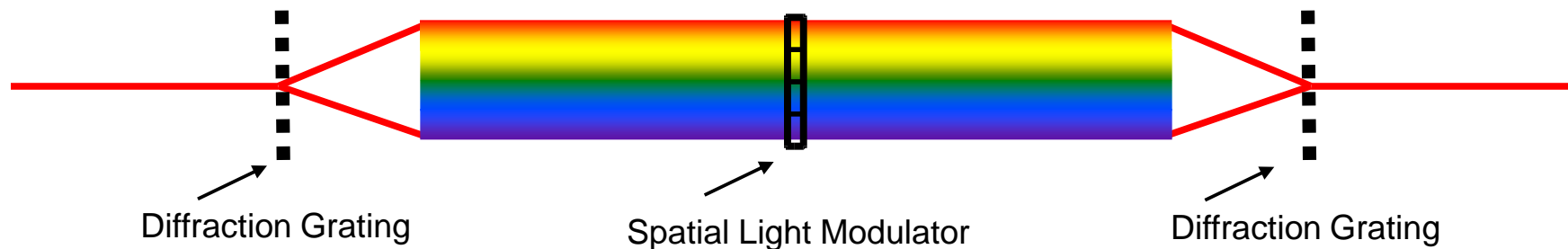
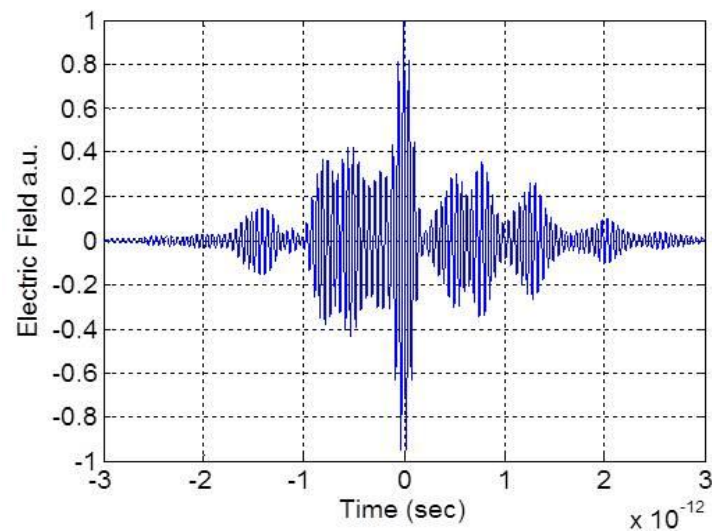


Shaping a Laser Pulse

Gaussian Pulse

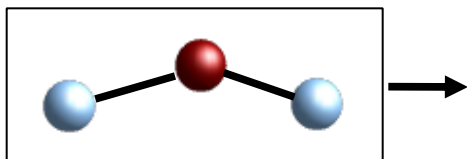


Shaped Pulse

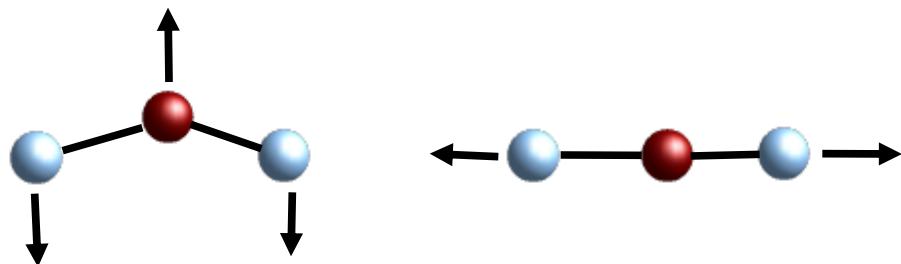


Molecular Dynamics

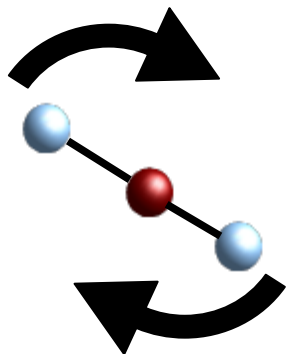
Translation



Vibration



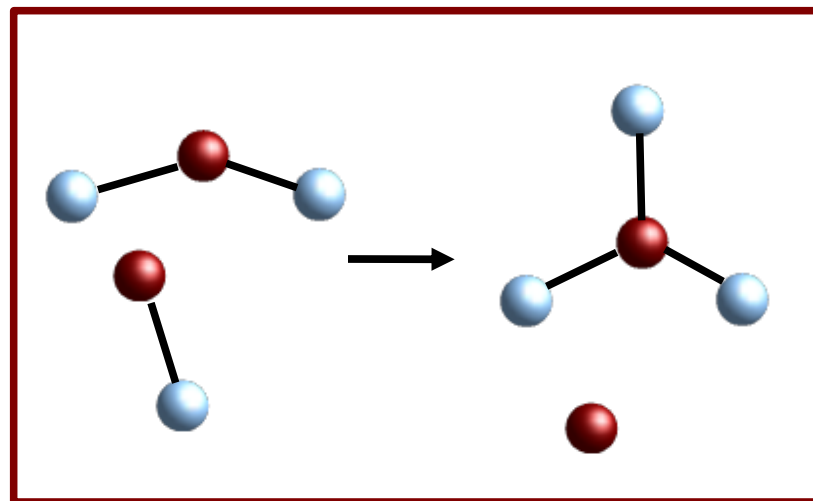
Rotation



Dissociation

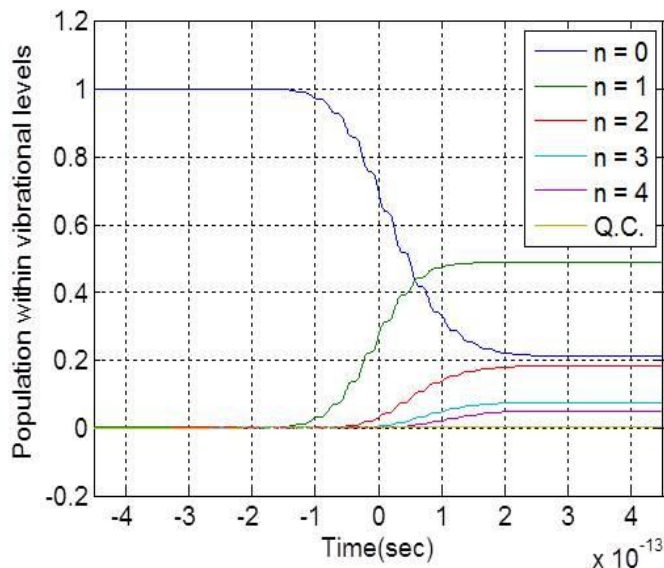


Bimolecular Reaction

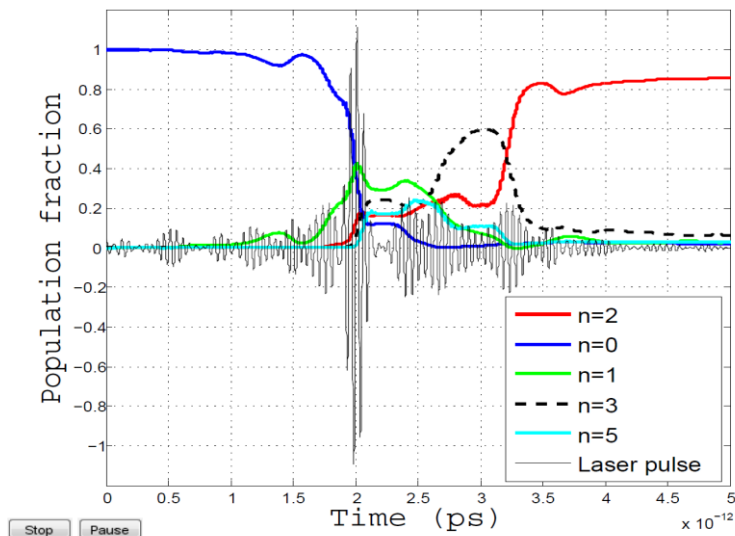


Quantum Control Simulation (Vibrational Excitation)

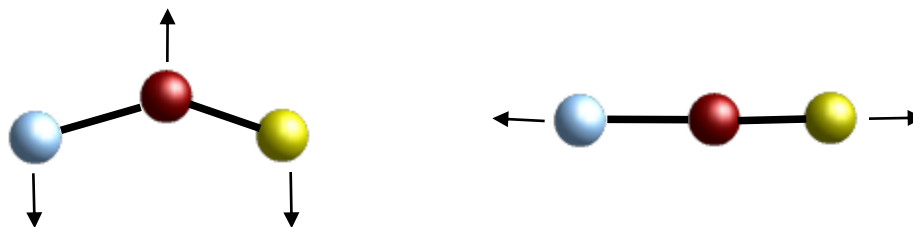
Gaussian Pulse



Shaped Pulse



“n” labels the amount of energy in a specific vibrational mode of a molecule
(Lourens Botha, Ludwig de Clercq, Ramathabathe Madigoe, Andre Smit)

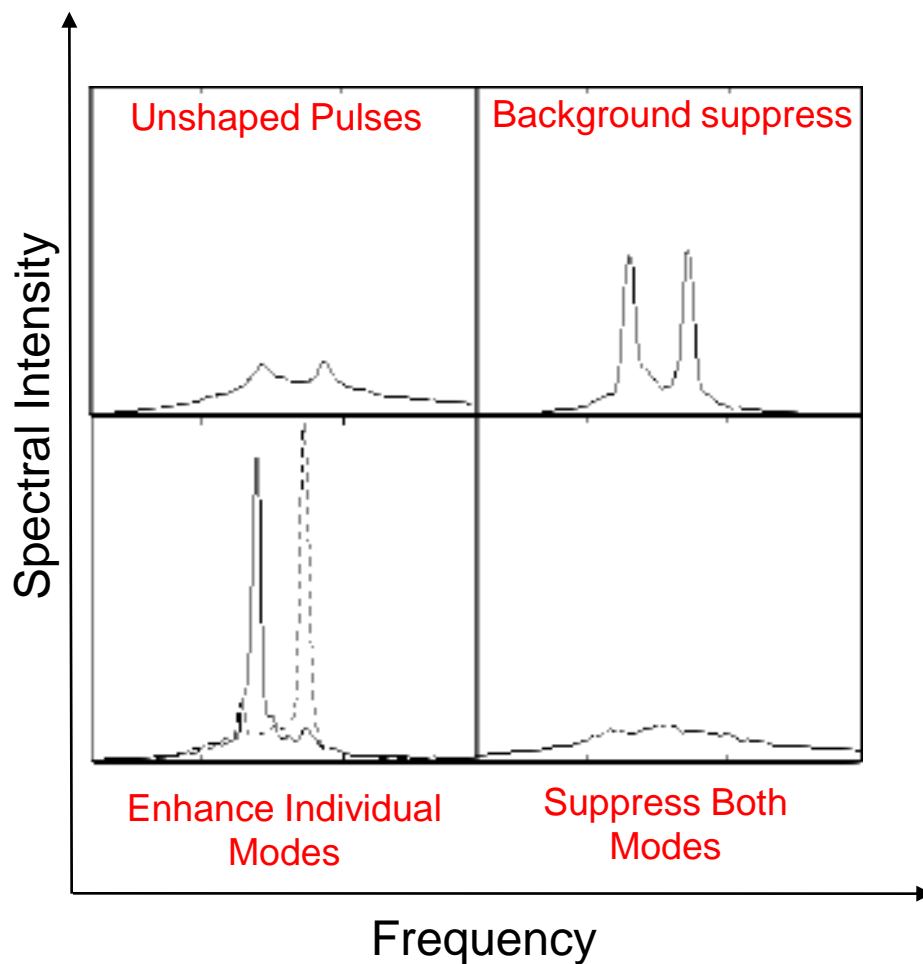


E.g. modes of molecular vibrations

Control of Fluorescence

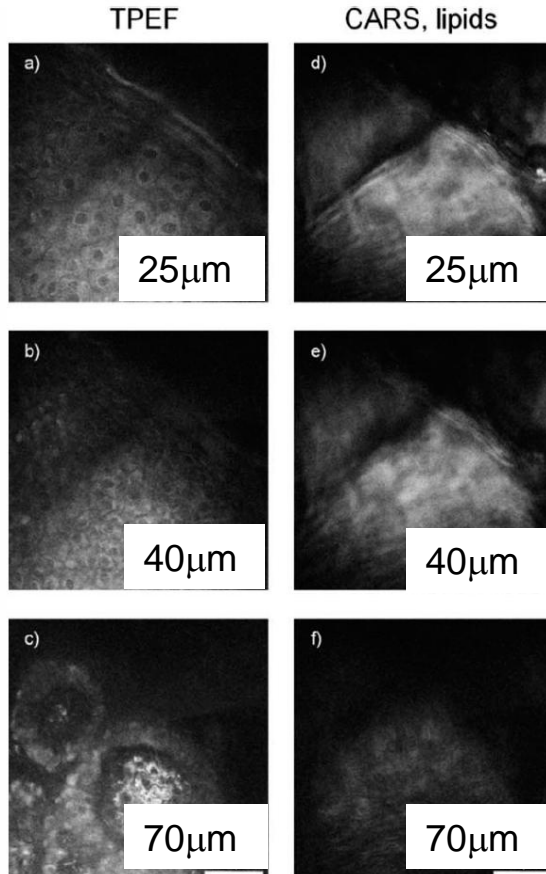
Vibrational Excitation of Methanol (CH_3OH), C-H Stretch Mode

Weinacht and Bucksbaum, Journal of Optics B 4, S1464 (2002)



Fluorescence Detection Optimization?

In Vivo Skin Imaging



Can we use shaped laser pulses to optimize a fluorescence detection signal to enhance sensitivity of trace substance detection?

Summary

Quantum control is an emergent technological tool with a wide range of potential applications in the field of atomic and molecular physics

Thank You

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